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1 Basics

2 Some Examples

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2 Some Examples

Presentation basics

Let u be something.

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$$u(x) = \int_{\Gamma} S(x, y) \gamma_1 u(y) dS_y - \int_{\Gamma} \gamma_{1,y} S(x, y) \gamma_0 u(y) dS_y, \quad x \in \Omega \quad (1)$$

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Some properties of u :

- Property 1

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Some properties of u :

- Property 1
- Property 2

Fundamental Solution

Theorem

Blocks can be used to formulate theorems

$$S_K : \mathbb{R}^3 \setminus \{0\} \rightarrow \mathbb{R}^{3 \times 3}$$

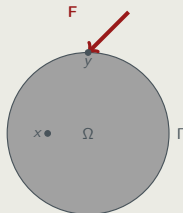
$$x \mapsto \left(\frac{1}{8\pi} \frac{1}{E} \frac{1+\nu}{1-\nu} \left[\frac{3-4\nu}{|x|} \delta_{ij} + \frac{x_i x_j}{|x|^3} \right] \right)_{ij}$$

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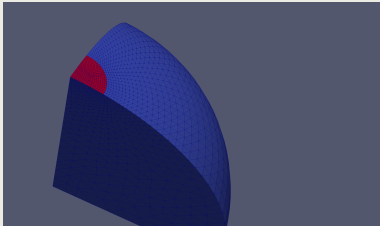


1 Basics

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Geometries

KK1



KK2

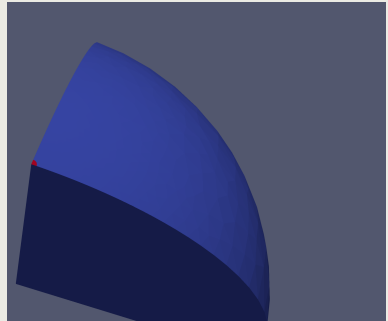


Table usage

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Number of Iterations and time till convergence:

	D& D		HC & D		HC & OeO	
example	it.	time	it.	time	it.	time
KK1	157	25.7 s	146	24.0 s	92	21.7 s
KK2	2 051	619.1 s	360	111.7 s	140	217.0 s

The End

Thank you for your attention
Any Questions?